

THE PITOT TUBE AS A STEAM METER

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THE PITOT TUBE AS A STEAM METER

A THESIS

PRESENTED BY

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TO THE

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QE

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INDEX.

Purpose-----	1
Impulse Meter-----	1
Arrangement of Piping-----	2
Method of Testing-----	3
Discussion and Conclusions, Impulse Meter-----	4
Gauge Glass Meter-----	6
Theory, Gauge Glass Meter-----	8
Discussion and Conclusion, Gauge Glass Meter-----	11
Plates-----	



It is the purpose of this thesis to study two applications of the pitot tube as a steam meter, and to determine as far as possible, the practicability of using these devices as such.

The first of these applications of the pitot tube is shown in Fig. 1, and for convenience will be known as an impulse meter. Two holes are tapped in the steam pipe through which the steam is flowing, one for the pitot tube D, and the other for the static tube S. The latter tube admits the static pressure of the steam into the meter, and provides the means for returning any condensation that may gather in it. The stream of steam entering the meter through the pitot tube is projected through the nozzle M against an aluminum disc A, mounted on needle bearings. The disc has a broad smooth edge, so as to give as great a turning effort from the jet as possible. A spiral spring G is attached to the disc and to the body of the meter, providing an accumulative resistance which the jet must act against. A bar magnet N is also attached to the disc. On the outside of the meter

is mounted a second bar magnet, to which is attached a pointer, so that any movement of the disc will be indicated outwardly by this pointer. This meter was tested for the purpose of determining what the relation would be between the amount of steam flowing and the deflection of the needle.

Fig. 2 gives diagrammatically the arrangement of the piping used in conducting the tests. The steam first passed through the separator S to the drop leg B, at the bottom of which was a drip D. The globe valve V_1 was used for keeping the pressure constant in the part of the system following it. There was also a drip at the bottom of the riser C, both this and the drip D being kept slightly open at all times during the tests. The meter was attached to the pipe P as indicated in the figure, this pipe being a 3-inch extra heavy with an internal diameter of 2.893 square inches. The calorimeter and pressure gauge were fitted to the pipe just above the meter, the former being of the throttling type, and the latter a Crosby Test Gauge, #500989. At the further end of the system was

located a second globe valve V , this being used to vary the velocity of the steam. From this valve, the steam passed into a Wheeler surface condenser, from which it was discharged into suitable weighing tanks.

The method of conducting a test was as follows. Steam was gradually admitted, first to the drop leg B , and then through the valve V_1 into the rest of the system. The drips were opened so as to drain all condensation, and the system was allowed to stand this way until thoroughly warmed up. After thus heating the pipes, the condenser pump was started, and the valve V opened, allowing steam to pass into the condenser. By manipulating the two valves V and V_1 , any desired pressure and rate of flow could be obtained, within the capacity of the apparatus. Readings were taken every five minutes of the meter and calorimeter temperature, the pressure being closely watched and kept constant as before described. The weight of steam passing through the pipe was taken once for the entire run.

The first test was made at the maximum capacity of the apparatus, this being limited by a relief valve at the entrance to the condenser, which opened to the atmosphere when the velocity became too great. The low limit given by this valve was due to the fact that the steam entered the condenser through a 2-inch pipe, after passing through the three inch pipe, thus increasing the velocity greatly at this point.

The dial of the meter was divided into 100 parts, and it was found that the maximum capacity of the system gave a deflection of less than half a revolution of the needle. This meant that an enormous amount of steam was passing, as compared with the deflection, being very nearly 4000 pounds an hour. The velocity of the steam was thus a little over 9000 feet a minute. Furthermore, the friction of the bearings was so great as compared with the turning effort exerted by the steam, that considerable jarring of the meter was necessary in order to make it assume its proper reading. The data taken during the tests on this meter is given

on plates 1, 2, and 3, and is plotted on plate 4.

From plate 4 it will be seen that the behavior of the meter was very erratic. In the 50-pound series of tests, a reading of 3.37 on the dial gave a smaller weight of steam than a reading of 2.76. Again, in the 60-pound series, a reading of 1.88 gave less steam than a reading of 1.13. A consideration of the points as plotted, however, would indicate that there is very probably some law which holds between the meter reading and the weight of steam passing, as they follow, very roughly it is true, a general curve. From the behavior of the pointer with regard to assuming a position, as before described, the conclusion follows that in the meter under test, the friction of the bearings was too great to give dependable readings. An instrument of much finer construction, having jeweled bearings, and provisions for preventing any warping due to the internal pressure of the steam, would permit of a more accurate investigation of this type of meter, and would probably disclose a definite relationship, as before mentioned.

Further tests on the impulse meter being deemed inadvisable because of its inaccuracy, attention was turned to the second form of meter. This is shown in section in Fig. 3, and will be known as a gauge glass meter, since its readings are taken from the gauge glass. As in the case of the impulse meter, two tubes are necessary, the pitot and the static, and in addition, a third connection G is made to the steam pipe. The condensation which takes place in the static tube S is drained into the chamber N through the tube F. The chamber N can become filled only to the level of the top of the tube P, any surplus condensation being returned by it to the steam pipe through the water seal U and the pipe G. The upper end of P is fitted with a corrugated ferrule which reduces the effect of capillarity to a negligible quantity. The pressure exerted by the steam entering the pitot tube is transmitted to the surface of the water in the chamber N, forcing part of it into the gauge glass W the upper end of which is connected to the static tube S. The pitot tube connection to the chamber

N is made directly over the discharge tube P. This permits all condensation that may take place in the pitot tube to drain directly into the discharge, thus providing a dry pitot tube. The head H given by the column of water in the gauge glass should then be the true head due to the velocity, provided that there is no aspiration at the end of the static tube S. Prof. Gebhardt states (Jour. A. S. M. E., Nov. 1909) that there is no appreciable aspiration effect with velocities under 6000 feet per minute, and as these tests are all for low velocities of flow, it will be assumed that there is no aspiration. The theory of the pitot tube which follows, was taken from Prof. Gebhardt's paper on steam meters (Jour. A. S. M. E., Nov. 1909). Other meters of the same general type as the one under discussion have given values of the coefficient c, which enters the equation, of unity. These meters had a number of defects which have been remedied in the later form of instrument, but as will be mentioned further on, the theoretical calculations will be made with c equal to unity.

The theoretical determination of the weight of steam flowing through a pipe by means of the pitot tube is arrived at from its well known formula,

$$v = c\sqrt{2gH}. \quad (1)$$

Since the end of the pitot tube is placed in the center of the pipe where the velocity of the steam is a maximum, the v of the above equation must represent the maximum velocity. The other terms of the equation are:

c = an experimental coefficient

g = acceleration of gravity

H = height of a column of steam equal in weight to the water column of the meter.

To get the value of H in terms of known quantities, let

d_w = weight of one cubic foot of water in the gauge glass of the meter

d_s = weight of one cubic foot of steam passing through the pipe.

h = height of water in the gauge glass in inches.

Then

$$H = \frac{h}{12} \times \frac{d_w}{d_s}$$

Equation (1) then becomes

$$v = 2.316 \sqrt{\frac{d_w}{d_s} h} \quad (2)$$

Now let

w = weight of steam flowing in pounds

per hour

a = area of section of pipe in square
inches

r = ratio of the mean to the maximum
velocity.

Then the actual weight of steam flowing per hour
will be given by

$$w = 3600 \times 2.316 c \sqrt{\frac{d_w}{d_s} h} \times r \times \frac{a}{144} \times d_s$$

$$= 57.9 c a r \sqrt{\frac{d_w}{d_s} h} \quad (3)$$

For a 3-inch extra heavy pipe of the kind that was used for these tests, it has been found that the ratio r is equal to .82. Furthermore, in meters of the same general type as the one now under discussion, it has been found that the coefficient c is unity. For this reason, c will be assumed as unity in this equation. The internal diameter of

the pipe is 2.892 inches, giving an area of 6.569 square inches. Substituting the above values of c , a , and r in equation (3), we have

$$w = 57.9 \times 82 \times 6.569 \times 1 / \sqrt{d_w d_s h}$$

$$= 312 \sqrt{d_w d_s h}.$$

The temperature of the water in the gauge glass of the meter was on the average very close to the normal atmospheric boiling point of water, so that the density of this water was taken as 60 pounds per cubic foot. For the conditions under which the 30 pound(gauge) tests were made, the formula becomes

$$w = 783 \sqrt{h} \quad \begin{array}{ll} \text{Abs. press.} & 44.43 \# \\ d_s & .1052 \# \end{array}$$

For the 40 pound tests, the formula becomes

$$w = 861 \sqrt{h} \quad \begin{array}{ll} \text{Abs. press.} & 54.58 \# \\ d_s & .1277 \# \end{array}$$

For the 50 pounds tests, the formula becomes

$$w = 933 \sqrt{h} \quad \begin{array}{ll} \text{Abs. press.} & 64.53 \# \\ d_s & .1494 \# \end{array}$$

For the 60 pound tests, the formula becomes

$$w = 998 \sqrt{h} \quad \begin{array}{ll} \text{Abs. press.} & 74.50 \# \\ d_s & .1711 \# \end{array}$$

The density of the steam in each case was taken from Peabody's Steam Tables. From the above formulae, the theoretical flow was calculated for each reading taken on the meter.

The method of conducting the tests on this meter was exactly the same as that described for conducting the tests on the impulse meter. The gauge glass of the meter was surrounded by a slotted sleeve, the edge of which was graduated to tenths of an inch. The zero reading of the meter was determined for each series of tests by closing the velocity regulating valve entirely, and allowing the water column to come to rest very gradually. In every instance, the zero reading was found to be at .58 inches on the sleeve. Preliminary runs showed that the variations were very small at constant pressures, so that 20-minute runs were considered long enough.

Plates 5 to 12, inclusive, contain the running logs of the tests conducted. The average results, together with the calculated results are given on plates 13 and 14. On plates 15 to 18, will be found the curves, both theoretical and actual, plotted from the data given on the average result plates. In each case, the curve for the actual performance of the meter was placed under

the theoretical curve for that pressure. It is immediately apparent that the assumption of the value of c equal to unity is not correct. The ratio of the actual to the calculated flow is given with the average results, and is the proper value of c . This ratio varies considerably at low velocities. For mean velocities of over 3000 feet per minute, however, the ratio becomes fairly constant. The average value of the constant is .8 for velocities above 3000 feet per minute, the greatest deviation from this being about 2 per cent. This, then, is the proper constant for the meter tested.

In view of the fact that other tests have indicated that the constant should be unity, it may be well to discuss the possibility of a defect in the instrument. A ten inch column of water corresponds to a pressure of about .35 pounds per square inch. This means that the difference in pressure between the static and pitot tubes when supporting a column of water of this length is but .35 pounds. It is evident that a leak in either tube, however slight it may be, will cause a very

large variation in the height of the water column. The instrument was very carefully examined, however, and no defects of any kind were found, so that the probability of a leak was very small.

As an indicating instrument, this arrangement gives satisfactory results. The tests demonstrate that there is a definite relation existing between the flow of the steam and the indications of the meter, and the variation of the actual from the theoretical results, using the constant as here determined, should not be over three per cent at the most. The fact that it cannot be made recording, precludes the possibility of using the instrument commercially.

The gauge used for indicating the steam pressure was calibrated at the end of each day's running for the pressures at which it had been used. The calibration was performed with a Crosby gauge tester, and in every case, it was found that the gauge was correct, necessitating no calibration curve. A certified thermometer was not available for comparison with the calorimeter

thermometer, but its boiling point was found to be correct within a fraction of a degree. It was also compared with a thermometer whose bore was known to be uniform, and the rise of the mercury columns was found to be equal through the range at which it had been used. It was therefore assumed that the thermometer was correct, this assumption being reasonable under these conditions.

PLATES.

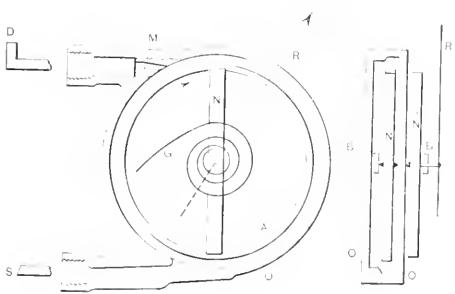


Fig. 1

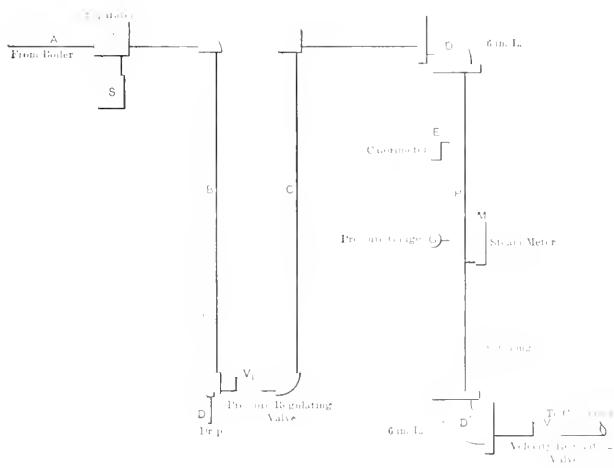


Fig. 2.

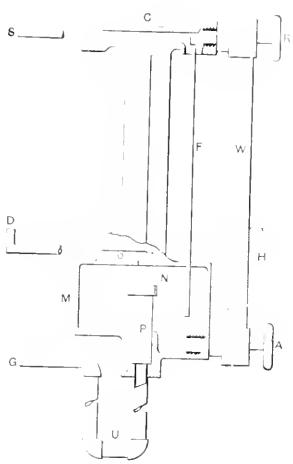


Fig. 3.

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Running Log

Diam. Pipe 2.892".		Barometer 29.40"		
Press.	Meter.	Gauge in Torr	Bar. Wt.	Net Wt.
30°	5.05	249°	532	
"	5.08	244		
"	5.05	246		
"	5.02	248		
"	5.00	248		983
Average	5.04	248		451
30°	6.10	248	983	
"	6.13	242		
"	6.18	244		
"	6.08	245		
"	6.15	248		1481
Average	6.13	244.4		498
30°	7.21	247	531	
"	7.21	248		
"	7.29	247		
"	7.25	245		
"	7.25	245		1081
Average	7.24	246.4		550

Duration of runs, - 20 minutes.

A. Runs			
Days	2.26	2.33	2.33
Present	2.30	2.30	2.30
40*	2.57	2.53	2.53
"	2.55	2.53	2.53
"	2.58	2.53	2.53
"	2.57	2.53	2.53
"	2.56	2.53	2.53
"	2.55	2.53	2.53
"	2.55	2.53	2.53
"	2.54	2.53	2.53
"	2.53	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
Average	2.53	2.53	2.53
40*	2.53	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
"	2.52	2.53	2.53
Average	2.53	2.53	2.53
40*	3.60	2.53	2.53
"	3.75	2.53	2.53
"	3.72	2.53	2.53
"	3.76	2.53	2.53
"	3.76	2.53	2.53
Average	3.74	2.53	2.53
Duration of runs - minutes			

Running Log.

Diam. Pipe, 2.092	Press. Meters	Cold, min. 70	Time, hr. 2.970
40°	5.03	250°	52.2
"	5.00	257	
"	4.95	252	
"	4.98	257	
"	4.95	250	1.021
Average	4.98	250.5	4.05
40°	5.00	257	52.6
"	5.98	252	
"	5.95	253	
"	5.95	253	
"	5.98	253	1.074
Average	5.97	252.4	5.05
40°	7.28	257	53.1
"	7.29	252.5	
"	7.28	253.5	
"	7.28	252.5	
"	7.23	252.5	1.131
Average	7.26	252.4	5.05

Duration of Run - 200 minutes

Average P. 2 6.32			
PROGRESS	TIME	NUMBER	TIME
50"	1.60	252	8
"	1.62	253	"
"	1.60	254	"
"	1.62	255	"
"	1.61	256	"
Average	1.60	254.8	
50"	2.65	255	
"	2.65	256	
"	2.65	257	
"	2.65	258	
"	2.65	259	
Average	2.65	258	
50"	3.05	256	17
"	3.05	257	"
"	3.05	258	"
"	3.05	259	"
"	3.05	250	"
"	3.05	251	"
"	3.05	252	"
Average	3.05	258.3	
50"	3.95	259	11.52
"	3.95	258	"
"	3.92	256	"
"	3.95	251	"
"	3.95	258	"
Average	3.95	258	
Duration of runs - 20 minutes.			

PLATE 1		
Diam. Pipe, 2 3/8"	Press. Meter	Duration sec.
50°	4.95	258°
	4.95	257
	4.95	257
	4.95	257
	4.95	259
Average	4.95	257.2
50°	6.03	258
	6.03	258
	6.03	259
	6.03	257
	6.03	259
Average	6.03	258.0
50°	7.00	259 5.2
	6.95	257
	6.92	258
	7.05	258
	6.98	258
Average	6.99	257.8
Duration of runs 26 m. 21.8		

F B 1940

Drawn Pipe 2 63
Press. N.Y.

60

1.46

3.00

1.80

1.60

1.50

1.50

1.50

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

1.45

60

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

Welded

60

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

3.00

Welded 4.47 300.0

Drawn Pipe 2 63 300.0

Running Log

Diam. Pipe 2.892"			Barometer 29.54"		
Press.	Meter.	calorimeter	Tare Wt.	Final Wt.	Net Wt.
60*	5.42"	264°	543		
"	5.42	263			
"	5.42	263			
"	5.40	262			
"	5.40	261		1129	
Average	5.41	262.6			366
60*	6.24	260	545		
"	6.22	259			
"	6.20	259			
"	6.22	260			
"	6.22	260		1166	
Average	6.22	259.6			641
60*	7.35	261	525		
"	7.32	262			
"	7.33	262			
"	7.32	262			
"	7.32	263		1250	
Average	7.33	262			705

Duration of runs, -20 minutes.



